

9-SINF MATEMATIKA FANIDAN IMTIHON JAVOBLARI

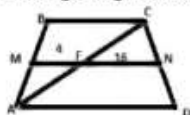
1-bilet

1. Ifoda ma'noga ega emasligini isbotlang. $\frac{6,2-5-4}{\left(\frac{1}{6}-\frac{1}{3}-0,2\right)\frac{2}{3}+\frac{1}{4}} = \frac{31-4}{\left(\frac{1}{6}-\frac{1}{3}\right)\frac{2}{3}+\frac{1}{4}} = \frac{17}{\left(-\frac{1}{6}\right)\frac{2}{3}+\frac{1}{4}} = \frac{17}{-\frac{1}{4}+\frac{1}{4}} = \frac{17}{0} \quad J; \emptyset$
2. Ifodani soddalashtiring. $\left(\frac{y^2-x^2}{m^2-n^2} \cdot \frac{m+n}{x-y} - \frac{x}{n-m}\right) \cdot \frac{m-n}{2y} = \frac{-(x-y)(x+y)}{(m-n)(m+n)} \cdot \frac{(m+n)}{(x-y)} - \frac{x}{n-m} \cdot \frac{m-n}{2y} = \left(\frac{x+y}{n-m} - \frac{x}{n-m}\right) \cdot \frac{m-n}{2y} = \frac{y}{m-n} \cdot \frac{m-n}{2y} = -\frac{1}{2} \quad J; -\frac{1}{2}$
3. Arifmetik progressiyaning uchinchi va to'qqizinchi hadlari yig'indisi 8 ga teng. Shu progressiyaning dastlabki o'n bitta hadi yig'indisini toping.
 $a_3+a_9=8; \quad S_{11}=a_1+a_2+a_3+\dots+a_{10}+a_{11}; \quad a_1+a_{11}=a_2+a_{10}=a_3+a_9=\dots=a_5+a_7=8$
 $a_6=(a_1+a_{11}):2=8:2=4; \quad S_{11}=5 \cdot (a_1+a_{11})+a_6=5 \cdot 8+4=44; \quad J; S_{11}=44$
4. O'tkir burchak sinusi, kosinusi, tangensi va kotangensi ta'riflari.
 To'g'ri burchakli uchburchak o'tkir burchagining sinusi deb, shu burchak qarshisidagi katetning gipotenuzaga nisbatiga aytiladi. To'g'ri burchakli uchburchak o'tkir burchagining kosinusi deb, shu burchakka yopishgan katetning gipotenuzaga nisbatiga aytiladi.
 To'g'ri burchakli uchburchak o'tkir burchagining tangensi deb, shu burchak qarshisidagi katetning yopishgan katetiga nisbatiga aytiladi.
 To'g'ri burchakli uchburchak o'tkir burchagining kotangensi deb, shu burchakka yopishgan katetning qarshisidagi katetga nisbatiga aytiladi.

5. $x+25\%x=20; \quad x+0.25x=20; \quad 1.25x=20 \quad x=16$

Demak, Trapetsiyaning diagonali o'rta chiziqni ikki qismga ajratadi, bizda ABC uchburchak uchun MF to'g'ri chiziq o'rta chiziq bo'ladi, ACD uchburchak uchun FN o'rta chiziq. Uchburchakni o'rta chiziq'li asosini yarmiga teng. Shundan trapetsiyaning kichik asosi 8 ga teng, katta asosi esa 32 ga teng bo'ladi.

$J; a=8 \quad b=32$

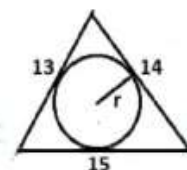


2-bilet

1. Hisoblang: $\frac{(5,2^2:2,6+8,1)^2-6,5^2}{(60,192:2,4-1,08)^2-0,24 \cdot 1400} = \frac{(10,4+8,1)^2-6,5^2}{(25,08-1,08)^2-536} = \frac{(18,5^2-6,5^2)}{576-536} = \frac{(18,5+6,5)(18,5-6,5)}{240} = \frac{25 \cdot 12 \cdot 40}{240} = 50 \quad J; 50$
2. Tengsizliklar sistemasini yeching: $\begin{cases} x+12 > -0,75 \\ \frac{1,5x+2}{4} < \frac{2x+1}{2} \end{cases} \Rightarrow \begin{cases} x > -12,75 \\ \frac{1,5x+2}{4} < \frac{2x+1}{2} \end{cases} \Rightarrow \begin{cases} x > -12,75 \\ \frac{1,5x+2}{4} < \frac{2x+1}{2} \end{cases} \Rightarrow \begin{cases} x > -12,75 \\ \frac{0,5x+4}{4} > 0 \end{cases} \Rightarrow \begin{cases} x > -12,75 \\ x > -8 \end{cases} \quad J; x \in (-8; \infty)$
3. $\begin{cases} 2x+5y = \frac{16}{3} \\ 7x-3y = \frac{15}{5} \end{cases} \Rightarrow \begin{cases} 6x+15y = 48 \\ 35x-15y = 75 \end{cases} \Rightarrow 41x = 123 \quad x=3 \quad y=2 \quad x^2+px+q=0 \Rightarrow \begin{cases} x+y = -p \\ x \cdot y = q \end{cases} \Rightarrow \begin{cases} p = -5 \\ q = 6 \end{cases} \quad J; p=-5 \quad q=6$
4. Kosinuslar teoremasini ta'riflang va isbotlang.
 Uchburchak istalgan tomonining kvadrati qolgan ikki tomoni kvadratlari yig'indisi shu ikki tomon bilan ular orasidagi burchak kosinusi ko'paytmasining ikkilangani ayirmasiga teng. TEOREMA ISBOTI:
 ABC uchburchakning BD balandligini o'tkazamiz. D nuqta AC tomonda yoki uning davomida bo'lishi mumkin. To'g'ri burchakli BCD uchburchakda Pifagor teoremasiga ko'ra, $BC^2=BD^2+DC^2$. $DC=AC-AD$ bo'lgani uchun: $BC^2=BD^2+(AC-AD)^2=BD^2+AC^2-2 \cdot AC \cdot AD+AD^2$. To'g'ri burchakli ABD uchburchakda $BD^2+AD^2=AB^2$ va $AD=AB \cos A$ ekanligini hisobga olib, oxirgi tenglikdan $BC^2=AB^2+AC^2-2 \cdot AB \cdot AC \cdot \cos A$, ya'ni $a^2=b^2+c^2-2 \cdot bc \cdot \cos A$ tenglikka ega bo'lamiz! TEOREMA ISBOTLANDI

5. Tomonlari 13, 14, 15 ga teng bo'lgan uchburchakka ichki chizilgan aylana radiusini toping.

$p=(a+b+c):2=(13+14+15):2=42:2=21. \quad S=\sqrt{p(p-a)(p-b)(p-c)}=\sqrt{21 \cdot 8 \cdot 7 \cdot 6}=84 \quad r=\frac{S}{p}=\frac{84}{21}=4 \quad J; r=4$



3-bilet

1. Hisoblang: $2,8:\left(2\frac{4}{5}:(8,75-2\frac{1}{2})\right):7,25-3\frac{3}{4}:\left(\left(1,2+5\frac{1}{20}\right):3,75\right)=2,8:\left(\frac{14}{5} \cdot 6,25\right):7,25-\frac{15}{4}:(6,25 \cdot 3,75)=2,8:17,5:7,25-3,75:23,4375=1,16-0,16=1. \quad J; 1$

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